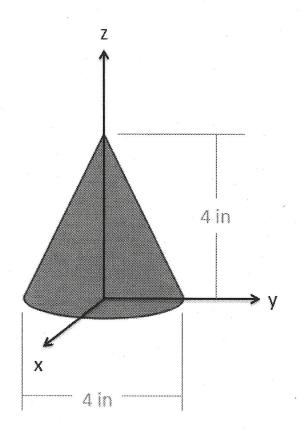
Question 1:

The cone shown below is four inches tall and has a four inch diameter base. Find the x, y, and z coordinates of the center of mass.



Symetrical about
$$yz + xz$$
 planes $\overline{X} = 0$
 $\overline{Y} = 0$

$$\overline{Z} = \frac{\int (dV)(z)}{V} = \frac{\int_{0}^{4} (\pi(-\frac{1}{2}z+2)^{2}(z))}{\frac{\pi(2)^{2}(4)}{3}}$$

$$dV = \frac{\pi v^{2}}{v^{2} - \frac{1}{2}z+2}$$

$$\overline{Z} = \frac{\int_{0}^{4} \frac{1}{4}z^{3} - 2z^{2} + 4z}{\sqrt{16}z^{4} - \frac{2}{3}z^{3} + 2z^{2}}$$

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$$\frac{1}{2} = \frac{5.33}{5.33} = 1$$
 in

Solution: